### DATA ANALYSIS IN ASTROPHYSICS

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School on Scientific Data Analysis

25<sup>th</sup>-27<sup>th</sup> November

### Program of the day

• Stefano Carniani: Exploration of 3D spectroscopy data

HST and ALMA data of distant galaxies:

- 1. Why are early galaxies important?
- 2. What is redshift?
- 3. What is a data cube?
- 4. How do we get data?
- Graziano Ucci: Machine learning on Galaxy spectra

Emission lines arising from the interstellar medium

- 1. What is the interstellar medium?
- 2. What is the radiative transfer equation?
- 3. What is CLOUDY?
- Andrea Pallottini: Synthetic spectra of galaxies in cosmological simulations
- Viviana Acquaviva: The Science of Data Science (After-dinner speech)

#### From the Big Bang to the first picture of the Universe

#### BIG BANG t=0



**PRESENT DAY** 

t

According to the standard cosmological model, the Big Bang represents the origin of our Universe. In this primordial stage it can be described as a hot and dense gas composed of matter and radiation.

As a consequence of the expansion of the Universe this primordial plasma cools down rapidly. Radiation and matter decouple and start evolving separately.

#### What happens to radiation?

Photons can freely travel towards the Earth, providing us the first picture of the Universe:

#### **THE COSMIC MICROWAVE BACKGROUND**

# The Planck Space Telescope

#### Launched into orbit in the 2009

### The Cosmic Microwave background



#### From the Big Bang to the Dark Ages of the Universe

#### BIG BANG t=0



PRESENT DAY

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#### What happens to matter?

The first atoms of hydrogen start to form. No sources of light are present.

The Universe enters in the so-called **Dark Ages**.

### First stars and galaxies





Starting from the denser regions of the Universe at the time of decoupling, the first sources of light will form.

The hotter regions (red spots) revealed by the CMB represent overdense regions of the Universe. These grow thanks to gravity and give rise to the first structures of the Universe.

Theoretical models predict that the first stars and galaxies formed in the Universe appeared almost 200 million years after the Big Bang

### The Cosmic Renaissance: Galaxies

#### **BIG BANG**



t

Thanks to powerful ground and space-based telescopes It is possible to detect light from very distant sources



The Universe is still very young! Less than 1 billion years old: A child at its first year of primary school

# The Hubble Space Telescope

Launched into orbit in the 1990

Thousands of new galaxies discovered. Several of them are extremely far, formed more than 10 Gyr ago!



The Hubble Deep Field

# The Hubble Ultra Deep Field



10<sup>6</sup> second exposure of an 11'x11' region

The exposure time was divided among 4 filters, centered at different wavelengths:

F435W @ 4347 Å F606W @ 6033 Å F775W @ 7730 Å F850LP @ 9082 Å

#### The image contains > 10<sup>4</sup> objects

Color rendition of the final HUDF image cropped to display an area of uniform exposure. The color mapping used to produce this rendition is:

blue = combination of F435 & F606W, green = combination of F606W & F775W, red = combination of F775W & F850LP.

Beckwith et al. (2006)



the wavelength  $\lambda_e$  of the radiation emitted by a source at a given distance d from on observer travels into a static space-time. It arrives to the observer with the same wavelength  $\lambda_o = \lambda_e$ .



the wavelength  $\lambda_e$  travels into an expanding space-time. This results into a stretching of the radiation wavelength. It arrives to the observer with a wavelength  $\lambda_o > \lambda_e$ .

### The cosmological redshift



#### Given the *finite speed of light*,

the farther is the source, the longer is the travel, and the stronger is the radiation stretching



The *cosmological redshift* measures this radiation stretching and it is defined as:

$$1 + z = \frac{\lambda_o}{\lambda_e}$$

Long wavelengths come from *high-redshift sources*, namely sources *far away from the Earth*.

*HST* is sensitive to infrared photons.

It provides information on the *past epochs* at which photons were originarily emitted

It can detect galaxies up to z≈10 (age of the Universe: ≈ 500 million years)

### How do we detect and characterize high-z galaxies?



What is the type of data coming out from a telescope?

It depends on the instruments on-board

#### (e.g.) HST INSTRUMENTS

- ACS: Advanced Camera for Surveys
  WFC3: Wide Field Camera 3
  NICMOS: NIR Camera and Multi Object Spectrograph
  COS: Cosmic Origins Spectrograph
- STIS: Space Telescope Imaging Spectrograph

Instrument	Wavelength coverage (micron)	Pixel size (arcsec)	Field of View (arcsec)
ACS WFC	0.4-1.1	0.05 0.3 kpc @z=6	202 x 202 ~1.1 Mpc @z~6
WFC3 IR	0.8-1.7	0.13 0.8 kpc @z=6	136 x 123 ~0.7 Mpc @z~6

### Dropout technique



ACS WFC WFC3\_IR

#### Hands on by Stefano Carniani

Exploration of an HST data cube:

A data cube contains: *two spatial dimensions* (x and y or RA and Dec), and *one spectral dimension* (the wavelength).

You will learn how to determine the redshift of a source by using the dropout technique

Right Ascension (RA) and Declination (Dec) are object's celestial coordinates. RA corresponds to longitude and Dec to latitude.



### How do we detect and characterize high-z galaxies?



## ALMA: Atacama Large Millimeter Array



Part of the same observatory is the Atacama Compact Array (ACA) composed by 12 antennas, 4 (8) are 12 (7) m large.

ALMA is an interferometer composed by an array of 50 antennas of 12 m (diameter) equipped with receivers sensitive to (sub-)mm wavelengths, located in the Atacama desert in Chile at 5000 m above the sea level.

Antennas can be moved over distances from 150 m to 16 km.

Why do we need an array of antennas?

Why do we need to go to the desert at 5000 m a.s.l.?

# Why do we need an array of antennas?

<u>Telescope (spatial/angular) resolution</u>  $(R_{\theta})$ 

Capability to distinguish two point sources into separate images

The minimum scale of a source that a telescope is able to distinguish

<u>Comparing telescope resolutions:</u>

HST resolution ( $\lambda$ =1 µm; D=2.4 m)  $\rightarrow R_{\theta}$ =0.1"

versus

ALMA resolution ( $\lambda$ =1 mm; D=12 m)  $\rightarrow R_{\theta}$ =21" (single antenna)

Wavelength of the observations  

$$R_{\theta} = 1.22 \frac{\lambda}{D}$$
 Diameter of the telescope

(in units od radians)

If we want to have a telescope in the mm range with resolution similar to HST we need to build an antenna 1 km large. This is technically impossible.



# The technique of interferometry



Differently from what happens with «conventional» telescopes, an interferometer does not produce an image of the source directly. It measures instead the interference pattern produced by the source radiation impinging on multiple apertures.

In the case of the Young experiment, the interference pattern is produced by 2 slits (or apertures). In the case of (sub-)mm and radio intereferometer the interference pattern is obtained by correlating the signal arriving on a larger number of antennas (50 in the ALMA case).

As we will see, the image of the source can be reconstructed from the interference pattern. The larger is the number of slits, the more detailed is the measurement of the interference pattern, the higher is the quality of the final image of the source we can get.

## The technique of interferometry



At each antenna, the signal arrives at slightly different times, depending on its location in the array.

Dedicated softwares compensate this *geometrical* time delay:  $\tau = \frac{b}{c} \cos \vartheta$ , where b (called *baseline*) measures the distance between the two antennas and c is the speed of light.

The signal from antenna A1 is then combined with that from antenna A2 in the *correlator*.

To each couple of antennas a *complex visibility*<sup>\*</sup> (that depends on the amplitude  $E_0$  and phase  $w\tau$ ) remains associated.

the visibility is defined as:

$$V = \frac{I_{max} - I_{min}}{I_{max} + I_{min}}$$



To make the final step through which we can get a source image by means of interferometry, it is necessary to introduce the *uv plane*. To understand the *uv plane* we have to *move on the source* and imagine how it perceives the geometry of the interferometer.

Let us still consider the simple case of only two antennas. From the point of view of the source the *lenght of the baseline* ( $b \sin \vartheta$ ) changes as the Earth rotates. It is *maximum* when the source is *at the zenith* ( $\vartheta = 90^{\circ}$ ) and minimum as it is setting ( $\vartheta = 0^{\circ}$ ).



#### **North-South orientation**

The baseline rotates during the transit of the source

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The uv plane is a system of coordinates

 $\frac{\vec{b}}{\lambda} \equiv (\vec{u}, \vec{v})$ 

that represents the lenght of a baseline in units of wavelength,

where  $\vec{u}$  is the East-West component of the baseline and  $\vec{v}$  is the North-South component of the baseline.

The *interference pattern* is finally related to the *source brightness* through the *«van Cittert-Zernike» theorem* 

$$V(u,v) = \int \int dx \, dy \, B(x,y) e^{2\pi i (ux+vy)}$$

the *complex visibility* V(u,v) in the *uv plane* is the 2D Fourier transform of the *source brightness* B(x,y) in the *sky plane*.

# Why do we need to go to the desert?

If we want to observe at long wavelengths

## Why do we need to go to space?

If we want to observe at short wavelengths

### Atmospheric windows and absorption bands



## Main gas absorbers in the atmosphere

- Oxygen and Ozone (O<sub>2</sub>,O<sub>3</sub>)
   from UV to higher frequencies
- <u>Carbon dioxide</u> (CO<sub>2</sub>)
   visible and Far IR
- <u>Water vapor</u> (H<sub>2</sub>O)

from (sub-)mm to lower frequencies



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1.0 0.8 Kovac & Barkatz (2007) 0.6 Transmission 0.4 black: South Pole, Antarctica Atacama plateau, Chile red: Hanoi, Vietnam 0.2 0.0 0 50 100 150 200 250 300 Frequency (GHz)

Simulated Atmospheric Transmission

<u>Water vapor</u> (H<sub>2</sub>O)

from (sub-)mm to lower frequencies

### How do we detect and characterize high-z galaxies?



## Properties of galaxies from their spectra

A galaxy spectrum contains a wealth of information on the fundamental physical processes occurring within the galaxy.

A single spectrum alone can tell us about:

- Galaxy metallicity (Z/Z<sub>sun</sub>),
- Amount of dust,
- Gas density (n<sub>gas</sub>),
- Age of the stellar population,
- Rate of star formation (SFR)
- Presence of AGN (active galactic nuclei)



#### Emission lines in galaxy spectra are extremely powerful tools for inferring this information. Thery arise from the interstellar medium of galaxies

#### The interstellar medium (ISM)

With the term **«interstellar medium»** (as it is clear from the word itself) we *simply* refer to the space in galaxies that is among stars.

However the ISM is *everything but simple*!



#### The interstellar medium (ISM): a very complex environment

#### Dust



#### The interstellar medium (ISM): a very complex environment

#### Dust



## The radiative transfer equation

1° case: ABSORPTION ONLY



 $I_v = I_v^0 \exp(-\tau)$ 

Observed specific intensity







 $I_v^0$ 

Intrinsic specific intensity

Absorption probability ( $k_v$  = absorption coefficient,  $\tau$ = optical depth)

ds

 $dp = k_v ds = d\tau$ 

## The radiative transfer equation

2° case: ABSORPTION+EMISSION



 $S_v = \frac{\epsilon_v}{k_v}$ 

RT

solution

Absorption only

 $\frac{dI_v}{ds} = -I_v k_v$ 

#### **Emission only**

 $\frac{dI_v}{ds} = \epsilon_v$ 

 $dI_v = \epsilon_v ds = d\tau$ 

specific intensity emitted by the cloud ( $\epsilon_v$  = emission coefficient)

ABSORPTION + EMISSION  $\frac{dI_{v}}{ds} = -I_{v} k_{v} + \epsilon_{v}$ 

# CLOUDY

#### simulations of astronomical clouds and their spectra

Cloudy is a code largely used in Astrophysics that *solves the radiative transfer equation* and *calculates the ionization structure of the cloud*.

The output is a prediction of the *gas physical conditions* and the *resulting observed spectrum*.

These predictions depend on the *cloud properties* 

(gas number density  $n_{gas}$  [cm<sup>-3</sup>], column density  $N_{gas} = n_{gas} x ds$  [cm<sup>-2</sup>], metallicity Z/Z<sub>sun</sub>)

and on the intensity of the radiation field.



#### NUMERICAL SIMULATIONS OF THE HIGH REDSHIFT UNIVERSE



Courtesy of Andrea Pallottini

## SUMMARY

- Stefano Carniani: Exploration of 3D spectroscopy data
- 1. HST data cube  $\rightarrow$  Dropout technique
- 2. ALMA data cube  $\rightarrow$  emission lines arising from the ISM
- Graziano Ucci: Machine learning on Galaxy spectra
- 1. emission lines arising from the ISM
- 2. library of CLOUDY models
- Andrea Pallottini: Synthetic spectra of galaxies in cosmological simulations
- 1. Cosmological simulation
- 2. Mock emission lines from simulated galaxies