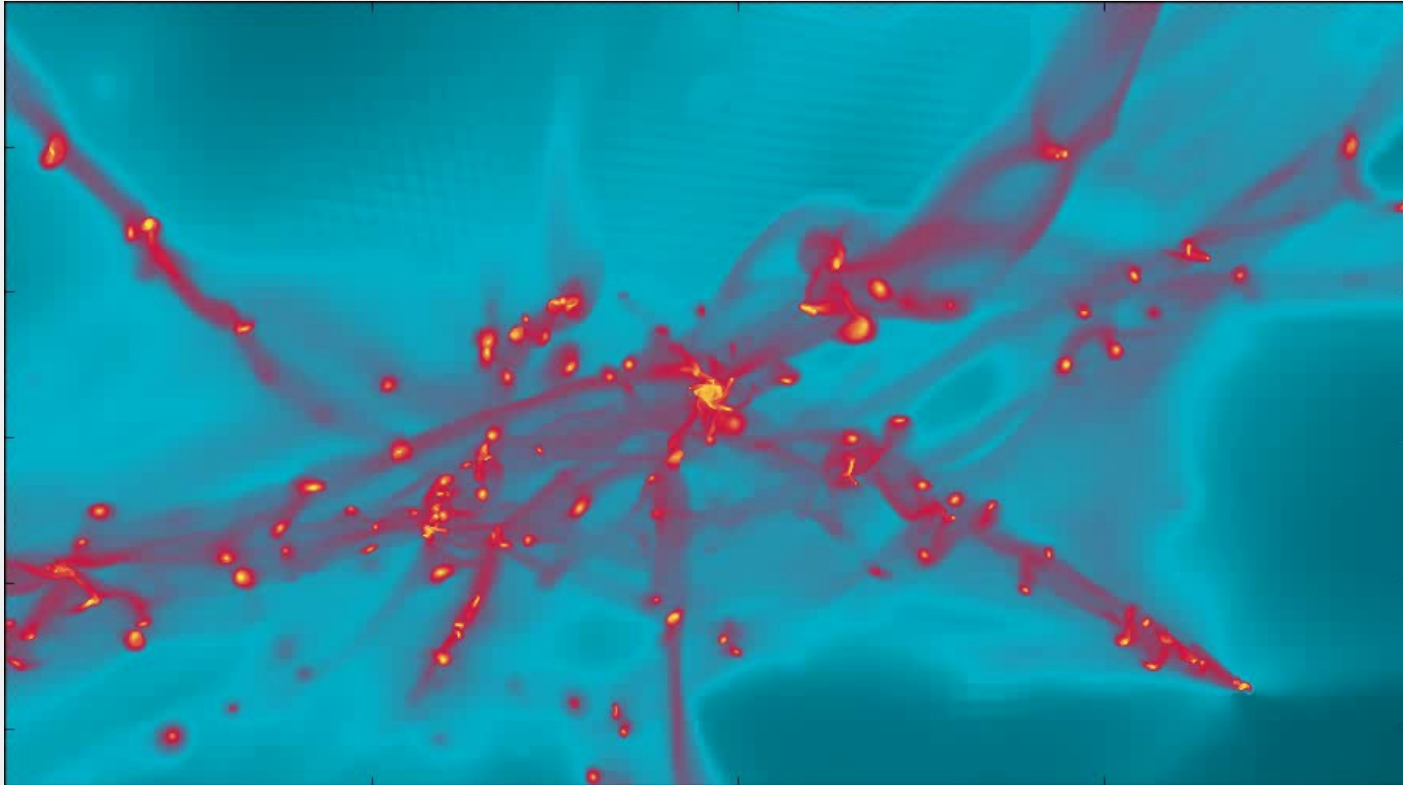


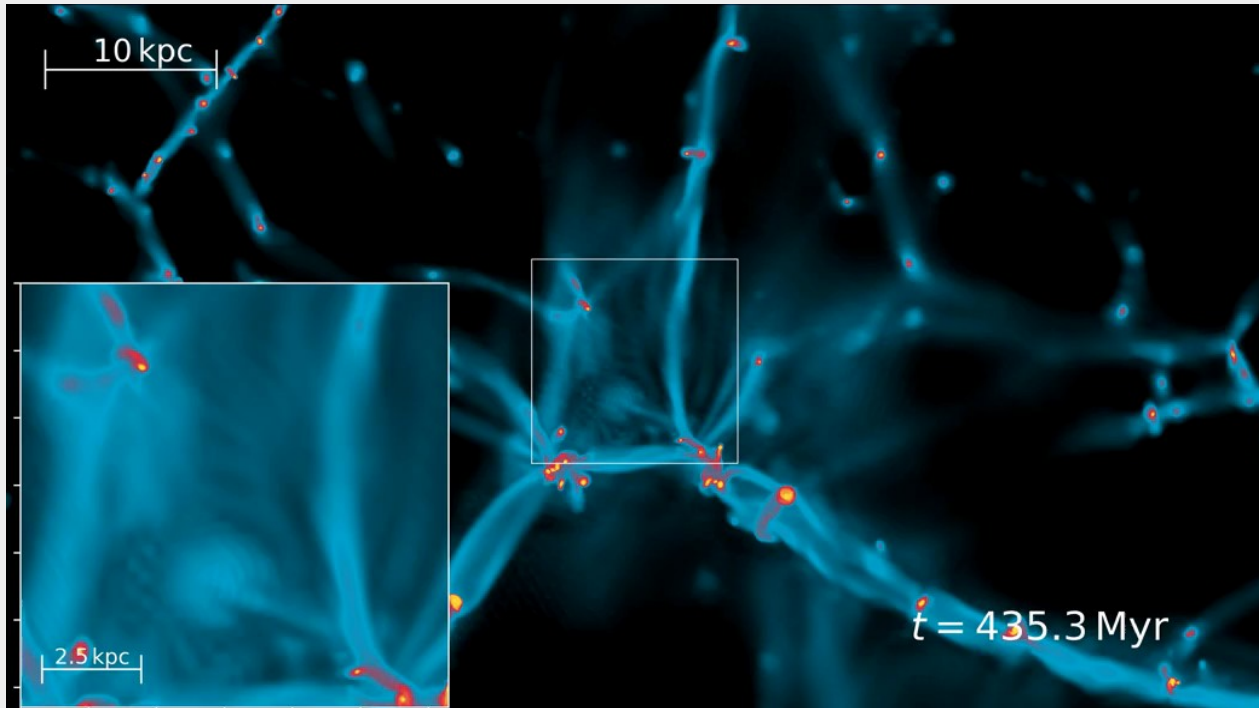
Scientific Data Analysis in Astrophysics:

synthetic spectra from galaxies in cosmological simulations



Galaxy evolution with cosmological simulations: basic ingredients

example: merger of galaxies at $z \sim 9$



Gas thermo-dynamics

$$\partial_t \rho + \nabla \rho \mathbf{v} = 0$$

$$\partial_t \rho \mathbf{v} + \nabla (\rho \mathbf{v} \mathbf{v} + P) = -\rho \nabla \Phi$$

$$\partial_t \rho e + \nabla \rho \mathbf{v} (e + P/\rho) = -\rho \mathbf{v} \nabla \Phi + \mathcal{H} - \Lambda$$

Dark Matter evolution

$$\ddot{\mathbf{x}}_{dm} = -\nabla \Phi(\mathbf{x}_{dm})$$

(self)gravity

$$\Delta \Phi = 4\pi G(\rho_{dm} + \rho)$$

cosmological framework

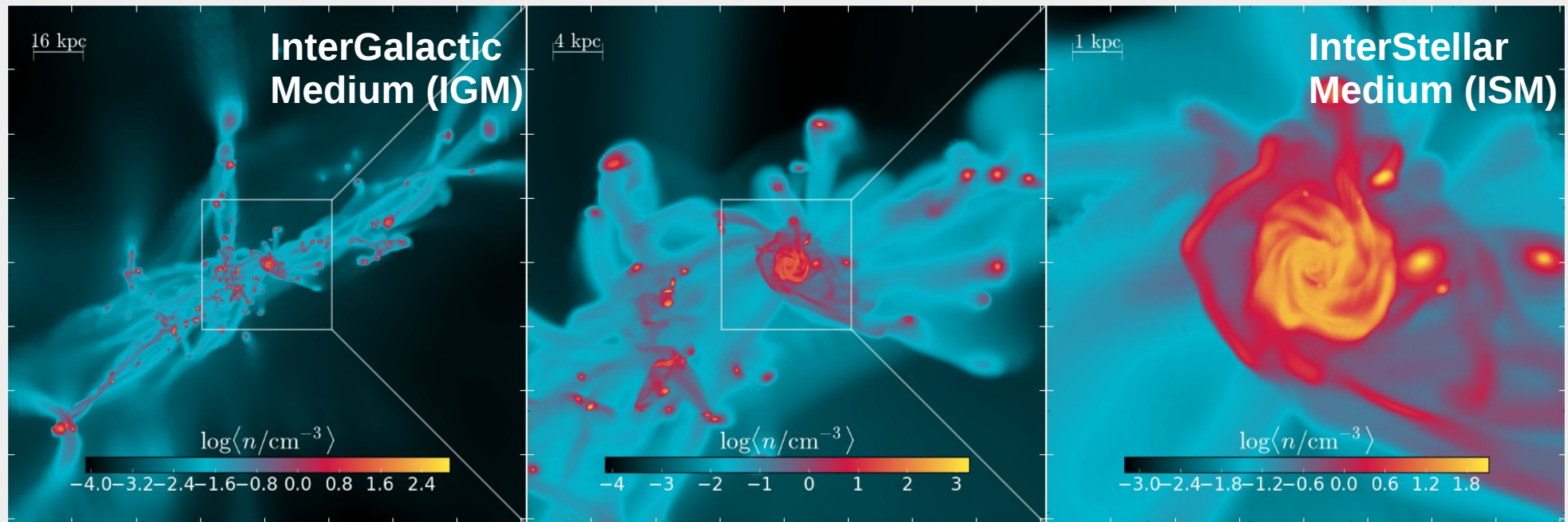
$$ds^2 = -c^2 dt^2 + a(t)^2 d\mathbf{x}^2$$

initial conditions generated as perturbations with parameters taken from CMB observations

Zooming-in high-z galaxies

Dahlia

Pallottini+17a



Resolution	
gas mass	$m_g \simeq 10^4 M_\odot$
AMR	$\sim 80 - 0.1 \text{ ckpc/h}$
at $z = 6$	$\Delta x \simeq 30 \text{ pc}$

Target LGB characteristics (at $z=6$)		
dark matter	$M_{\text{dm}} \sim 10^{11} M_\odot$	
size	$r_{\text{vir}} \simeq 15 \text{ kpc}$	$r_{\text{eff}} \simeq 0.5 \text{ kpc}$
stars	$SFR \sim 100 M_\odot/\text{yr}$	$M_\star \sim 10^{10} M_\odot$
gas	$M_H \sim 10^{10} M_\odot$	$M_{\text{H}_2} \sim 10^8 M_\odot$
metals	$Z \simeq 0.5 Z_\odot$	$M_D \sim 10^7 M_\odot$



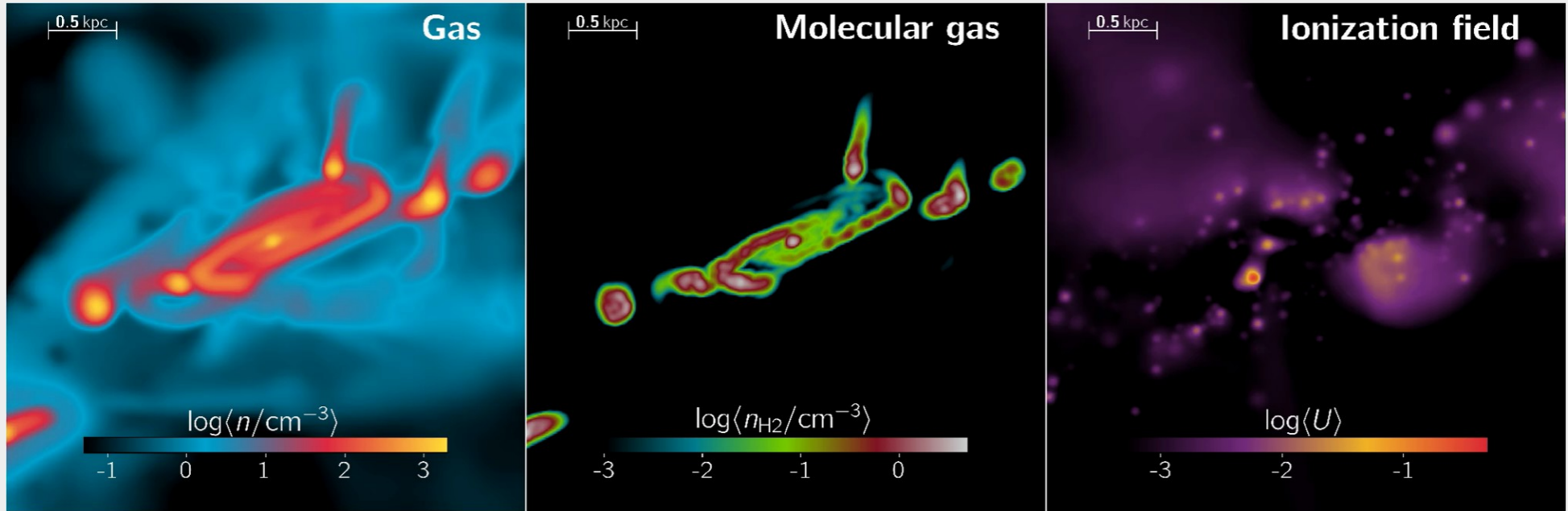
from cosmological to
molecular cloud scales

Model main features	
AMR code RAMSES Teyssier 2002	zoom-in IC MUSIC Hahn 2011
H_2 based star formation (SK relation) Krumholz+09	Stellar tracks from STARBURST99 Leitherer+10
Thermal and kinetic energy (e.g. Agertz&Kravtsov 2015)	
GRACKLE 2.1 cooling module Bryan+14	Kinetic energy dissipation Mac Low 1999; Teyssier+13
SN explosions, OB/AGB winds & radiation pressure (e.g. Agertz+13, Hopkins+14)	
Subgrid modelling for blastwaves Ostriker&McKee 1988	

Zooming-in high-z galaxies

Freesia

Pallottini+17a,+19



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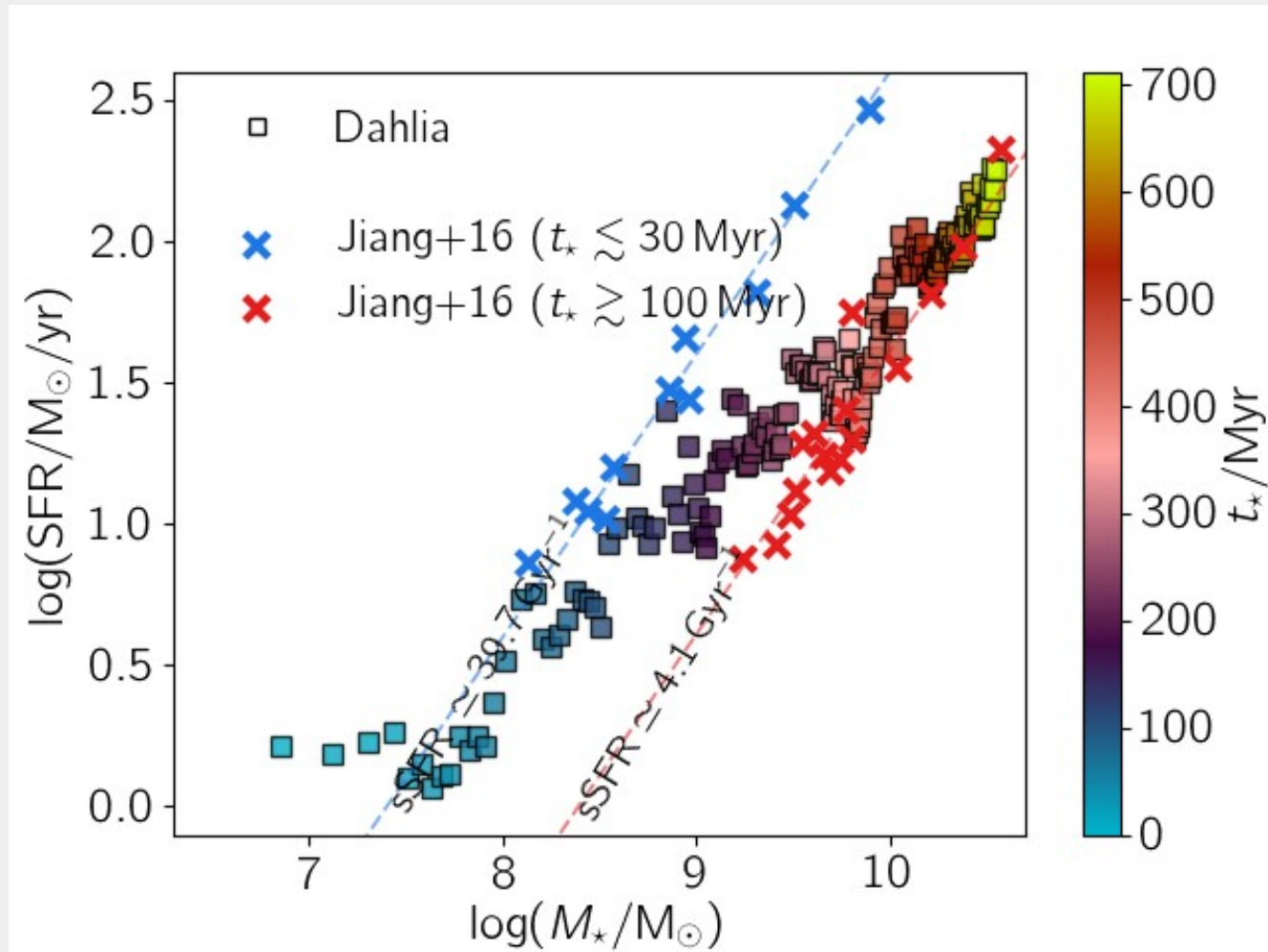
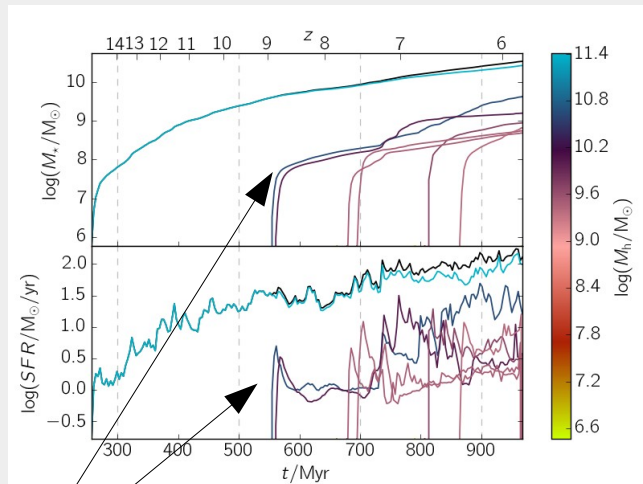
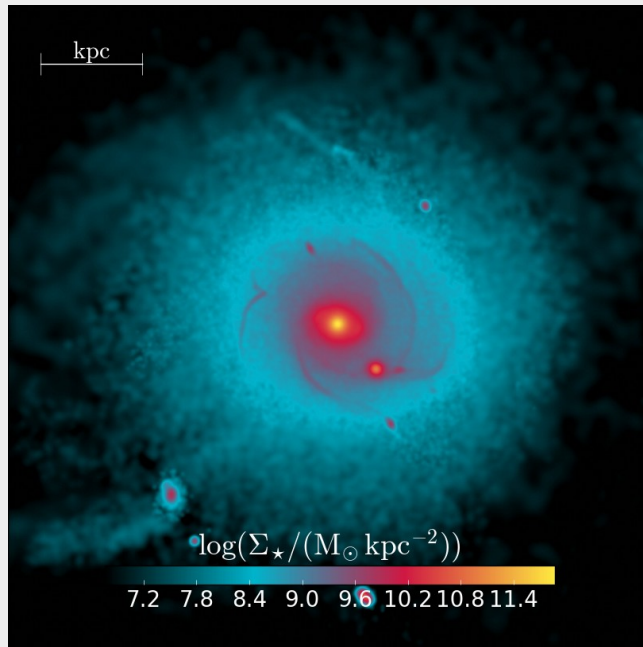
from cosmological to
molecular cloud scales

- non-equilibrium chemical networks to form molecular hydrogen and in turn it into stars
- radiation field tracked on the fly to account for ionization and photodissociation effects

Stellar component properties

Dahlia

Pallottini+17a,b

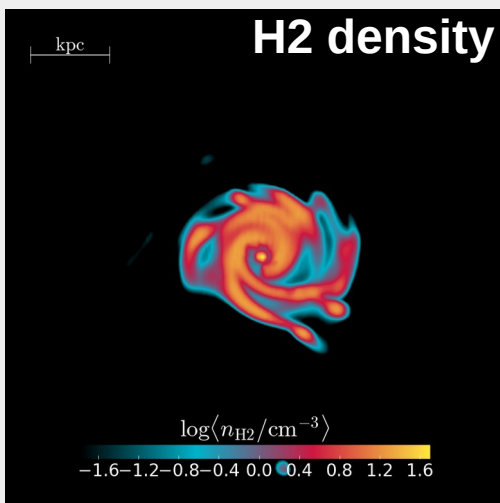
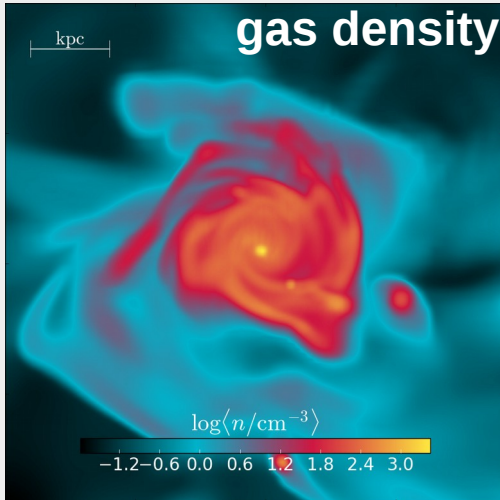


- star formation increasing with time
- frequent induced burst due to merger/gas inflows
- turbulent early life ($sSFR = SFR / M_{\star} \sim 40 / \text{Gyr}$)
- intense radiation and stellar feedback are expected

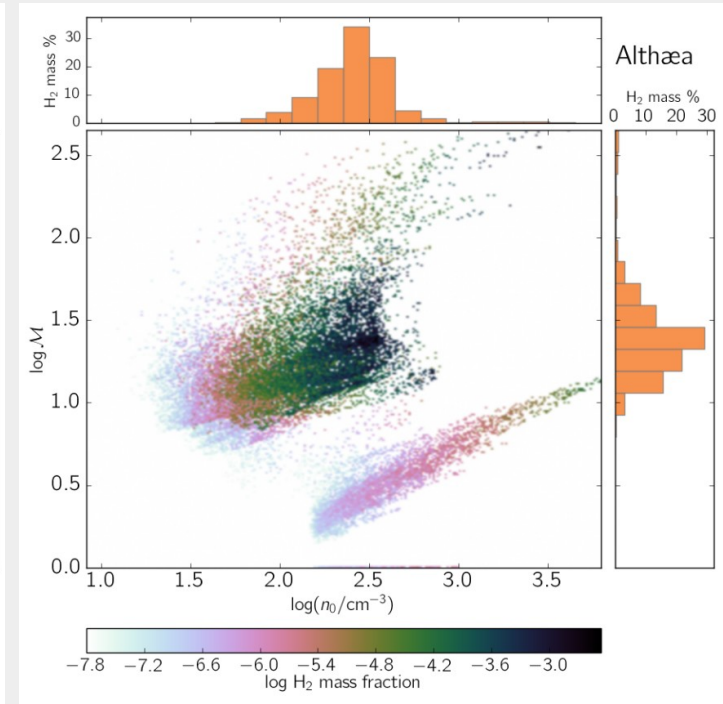
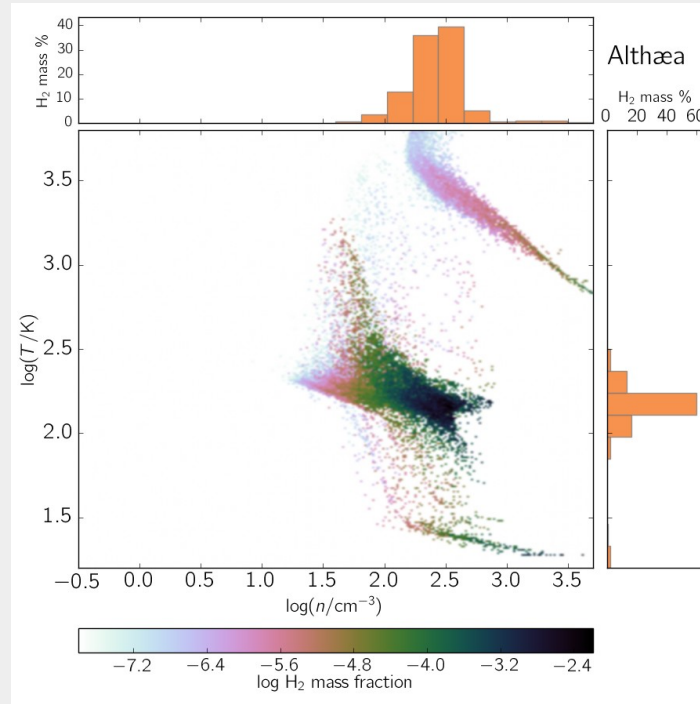
other galaxies in the field

Molecular gas properties

Althæa

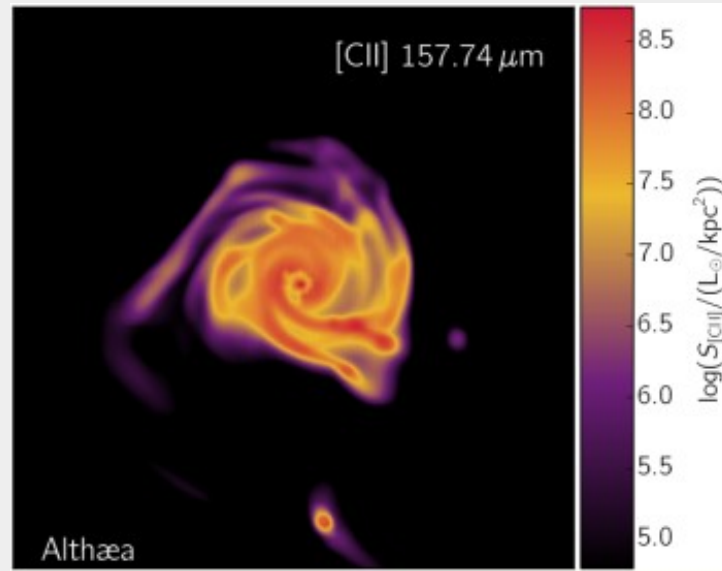
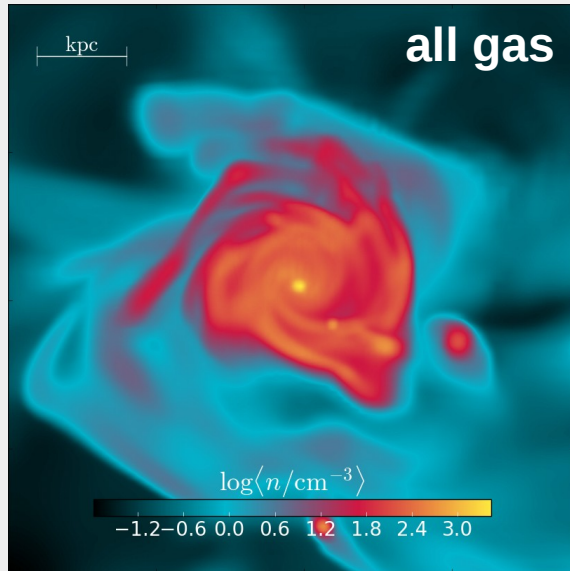


Pallottini+17b, Vallini+18



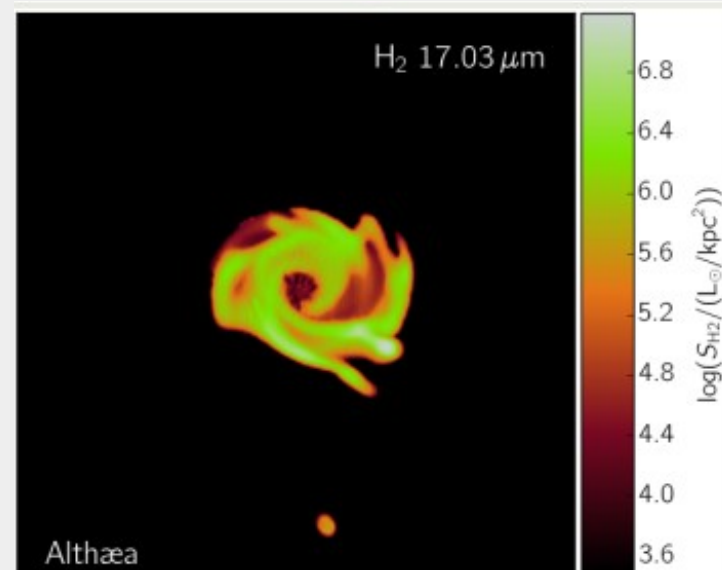
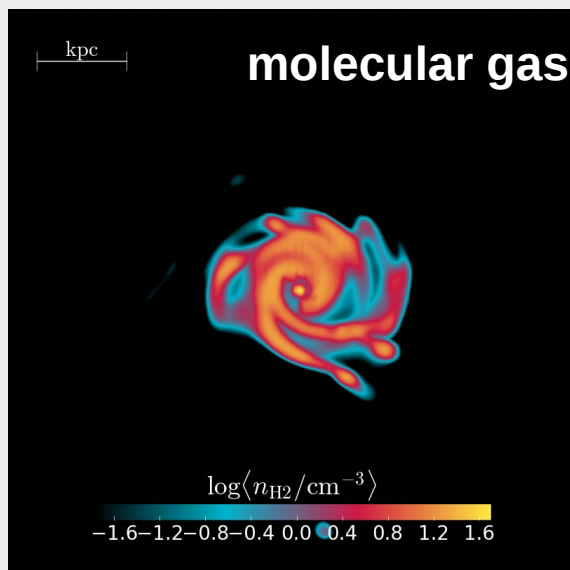
clumpy and concentrated in the galactic disk
relatively denser and hotter wrt the MW
higher turbulence, as a consequence of feedback

Predictions for the gas properties: line emission and comparison with observations



Far-InfraRed lines to compare with currently available ALMA observations

- different lines traces a variety of ISM conditions
- still C⁺ good tracer of dense, molecular gas

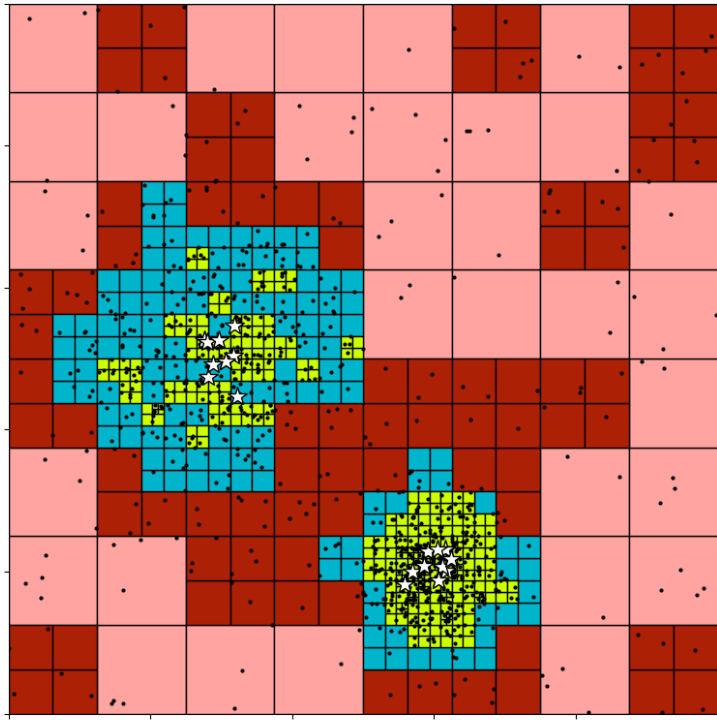


Mid-InfraRed predictions to be tested with SPICA, a proposed instrument

directly probe the molecular gas, by detecting the H₂ component

Data structure of a simulation snapshot

sketch of the structure



data available for the hands-on:

gas properties of the ISM of Althæa, a galaxy at high z

$$n[\text{cm}^{-3}], m[M_{\odot}], T[\text{K}], Z[Z_{\odot}], \mathbf{x}[\text{kpc}], \Delta x[\text{kpc}], \mathbf{v}[\text{km s}^{-1}]$$

number_density, mass, temperature, metallicity, position, sph_length, velocity

organized as a dictionary of N or Nx3 arrays with explicit units

DM: $m_{dm}^i, \mathbf{x}_{dm}^i, \mathbf{v}_{dm}^i$
 $i = 1, \dots, N_{dm}$

Stars: $m_{\star}^j, \mathbf{x}_{\star}^j, \mathbf{v}_{\star}^j, t_{\star}^j$
 $j = 1, \dots, N_{\star}$

Gas: $\rho^k, \rho_{\text{H}}^k, \dots, \rho_{\text{H2}}^k, P^k, \mathbf{x}^k, \Delta x^k, \mathbf{v}^k$
 $k = 1, \dots, N_{\text{cells}}$

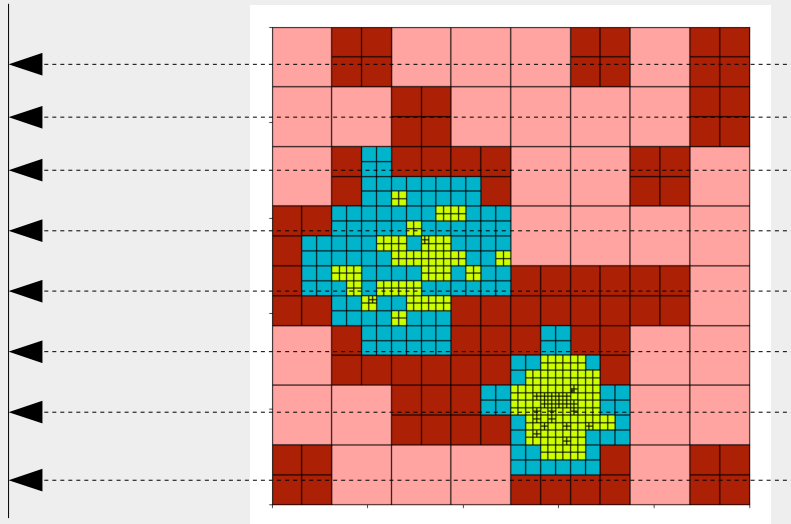
Radiation field:
 $n_{\gamma,l}^k, \mathbf{F}_{\gamma,l}^k$
 $k = 1, \dots, N_{\text{cells}}; l = 1, \dots, N_{\gamma \text{ bins}}$

Adaptive Mesh Refinement structure:

neighbours, parents, and children information

Visualization of the data structure

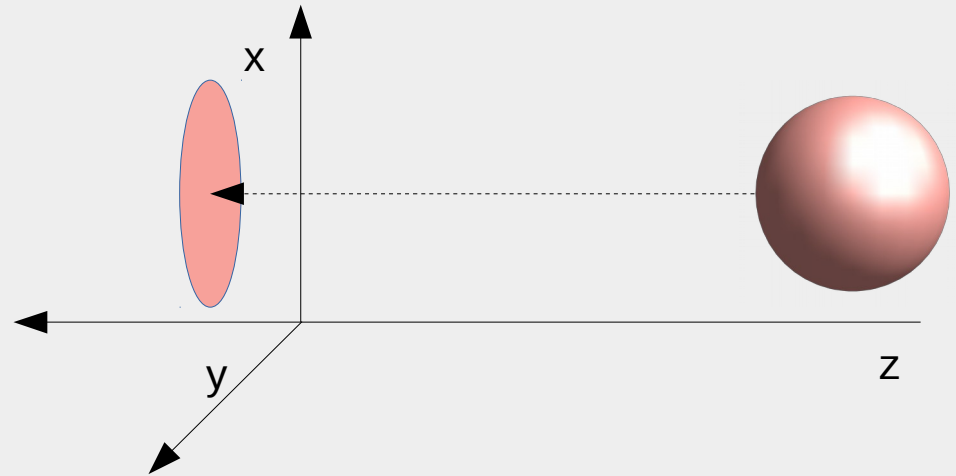
imaging done via kernel splatting



2D image

3D data

imaging of a single gas cell by projecting along z



kernel gives the shape of the cell in the transverse direction

averaging along the line of sight: e.g. density

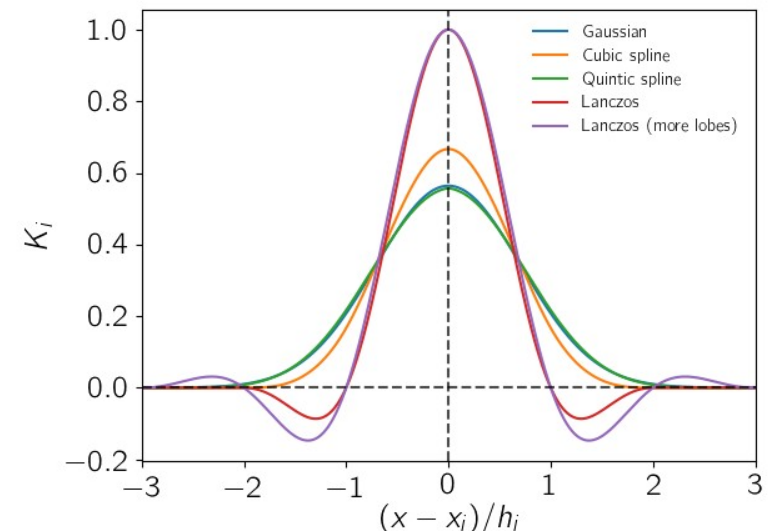
$$\langle n \rangle(x, y) = \frac{\sum_i n_i m_i K(x, x_i, \Delta x_i) K(y - y_i, \Delta x_i)}{\sum_i m_i K(x, x_i, \Delta x_i) K(y - y_i, \Delta x_i)}$$

variable to average mass weighting

integration along the line of sight: e.g. gas surface density

$$\Sigma_g(x, y) = \sum_i m_i K(x, x_i, \Delta x_i) K(y, y_i, \Delta x_i)$$

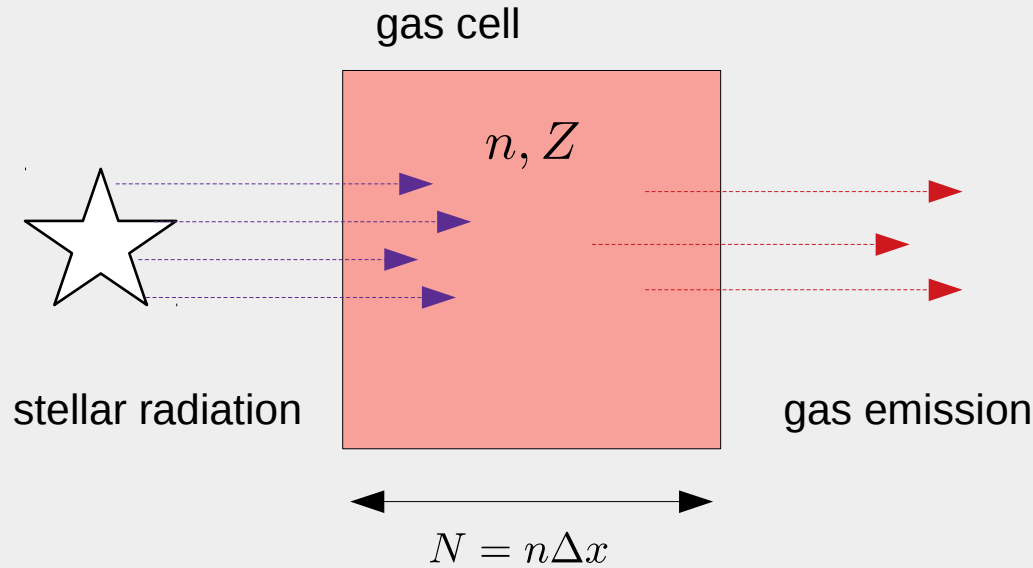
note that the kernel has dimension of an inverse length



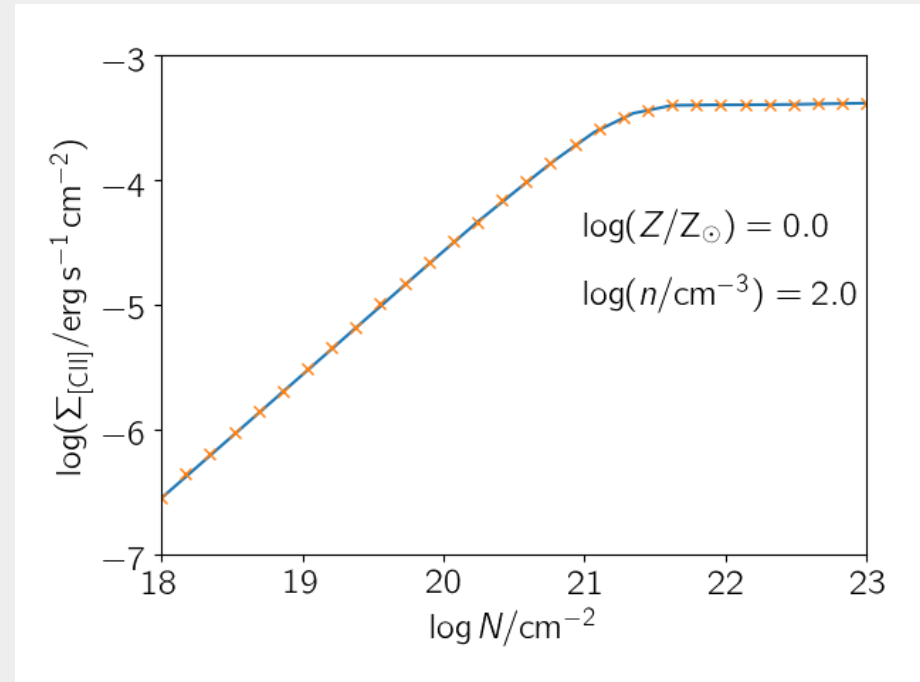
e.g. Labadens+12, Pontzen+13

Line emission calculation

scheme of the CLOUDY setup



emission for a gas cloud as a function of N from CLOUDY



here the radiation field intensity
is fixed to the mean found in Althæa

from surface brightness to luminosity
for the gas cell of index i

$$L_{\text{CII}}^i = \Sigma_{\text{CII}}^i \Delta x_i^2$$

to compute the surface brightness map

$$\Sigma_{\text{CII}}(x, y) = \sum_i L_{\text{CII}}^i K(x, x_i, \Delta x_i) K(y, y_i, \Delta x_i)$$

grid of CLOUDY models, that is interpolated for n, Z, N

$$\left\{ \begin{array}{ll} \log(n/\text{cm}^{-3}) \in [-2, \dots, 4.5] & \# = 14 \\ \log(Z/Z_{\odot}) \in [-3, \dots, 0.5] & \# = 8 \\ \log(N/\text{cm}^{-2}) \in [15, \dots, 23] & \# = 30 \end{array} \right.$$

Computing spectra

a spectrum depends both on the luminosity and the kinematic structure along the line of sight

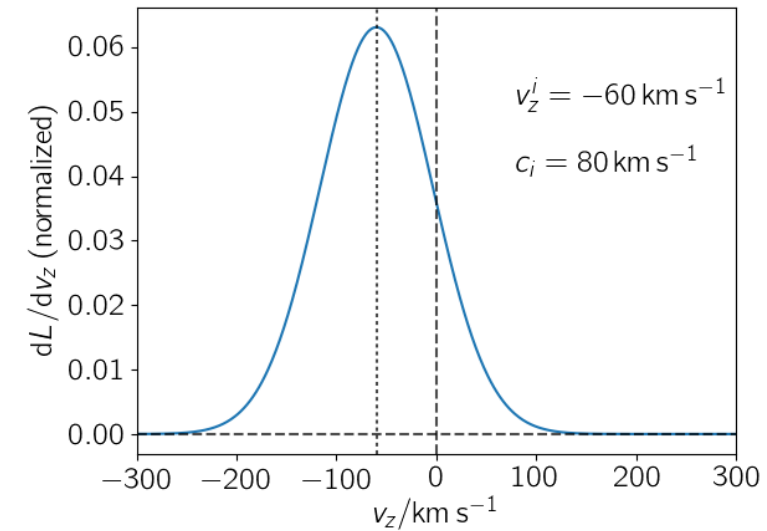
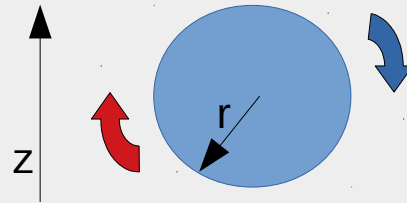
$$\frac{dL}{dv_z}(v_z) = \sum_i L_i K(v_z, v_z^i, c_i)$$

Doppler effect due to proper motion: v_z^i
 thermal broadening of the line: $c_i = \gamma \sqrt{K_b T_i / m_p}$

using a Gaussian kernel is physically motivated in this case

**kinematic can be tricky:
 e.g. rotating disk seen edge-on**

profiles due to a self-gravitating gas disk (no DM here)

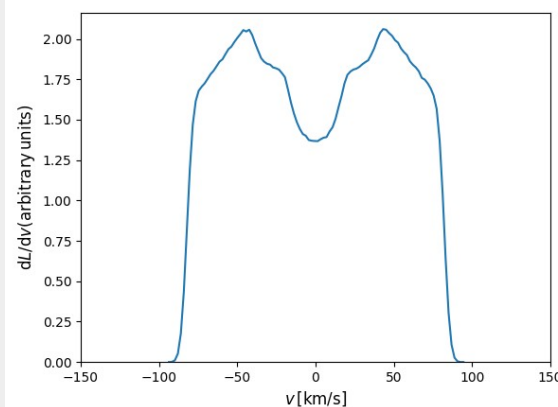
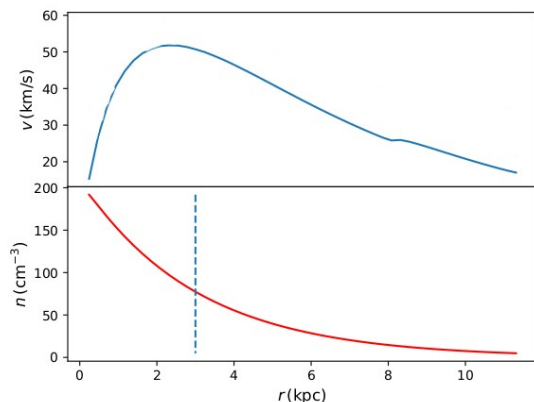


converting in observed quantities
 (using astropy)

$$F = \frac{L}{4\pi D_L^2}$$

$$D_L = D_L(z, \text{cosmological model})$$

$$F_\nu = \frac{dF}{d\nu} = \frac{1}{4\pi D_L^2} \frac{dL}{dv_z} \frac{dv_z}{d\nu}$$



resulting profile has a characteristic double horned structure